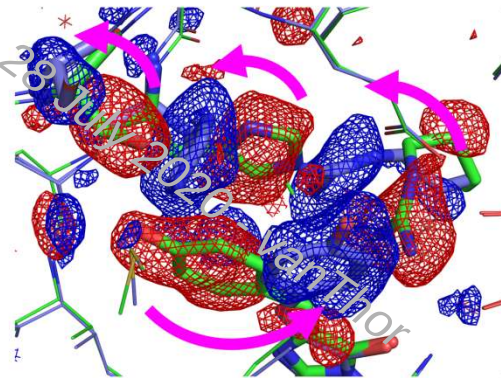
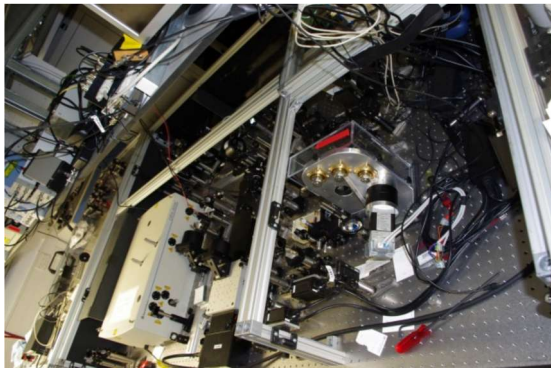
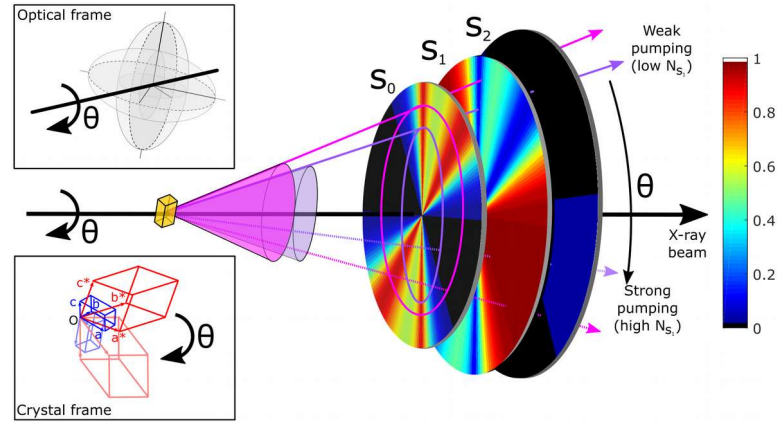
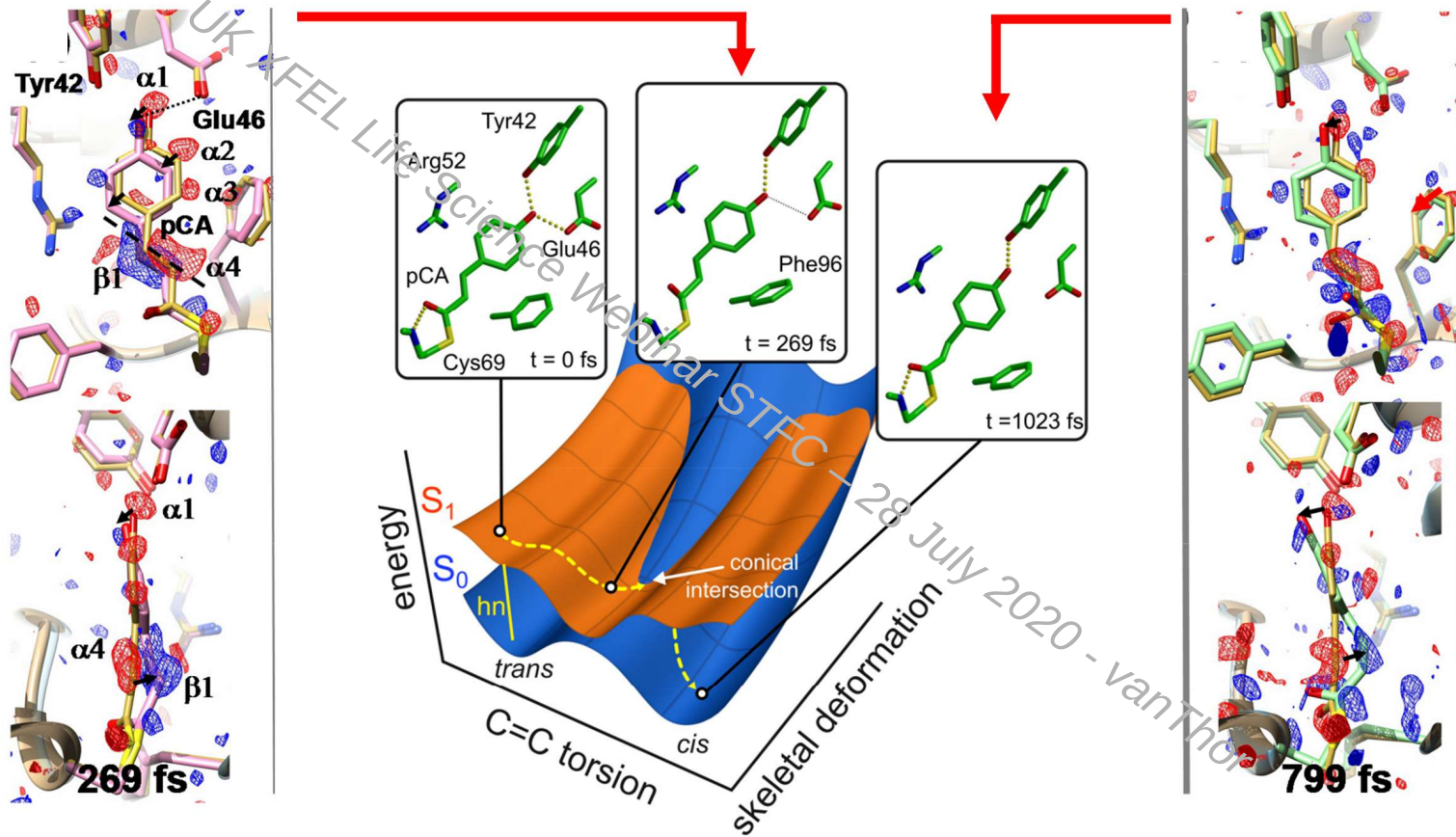


Opportunities in femtosecond time resolved protein crystallography



Webinar STFC - 28 July 2024

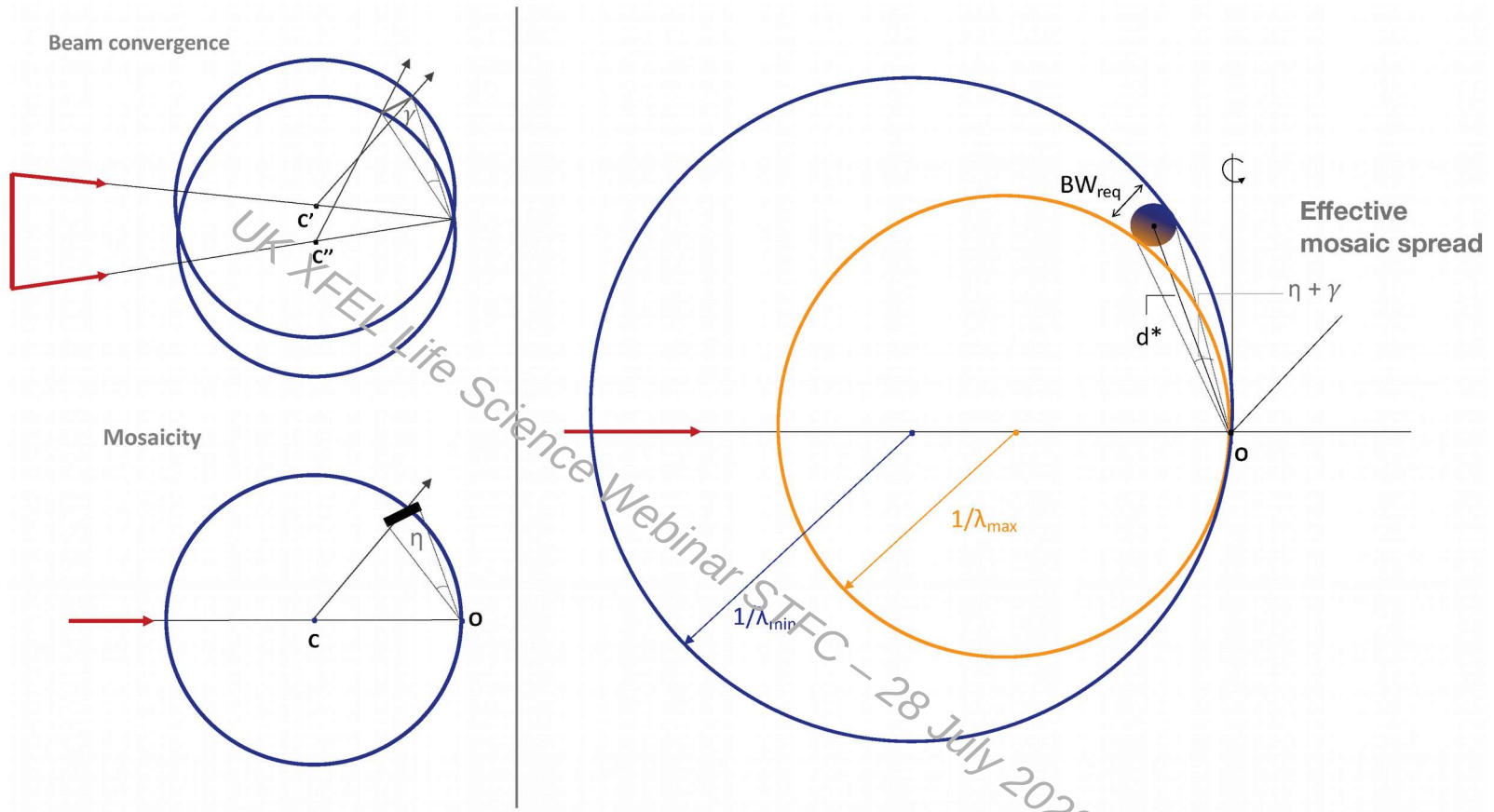
A structural view of ultrafast reaction dynamics



Control of FEL radiation

UK XFEL Life Science Webinar STFC – 28 July 2020 - vanThor

Possibility for *energy-chirped* ultrafast time resolved diffraction: Exploiting time-to-energy mapping of shaped XFEL pulses



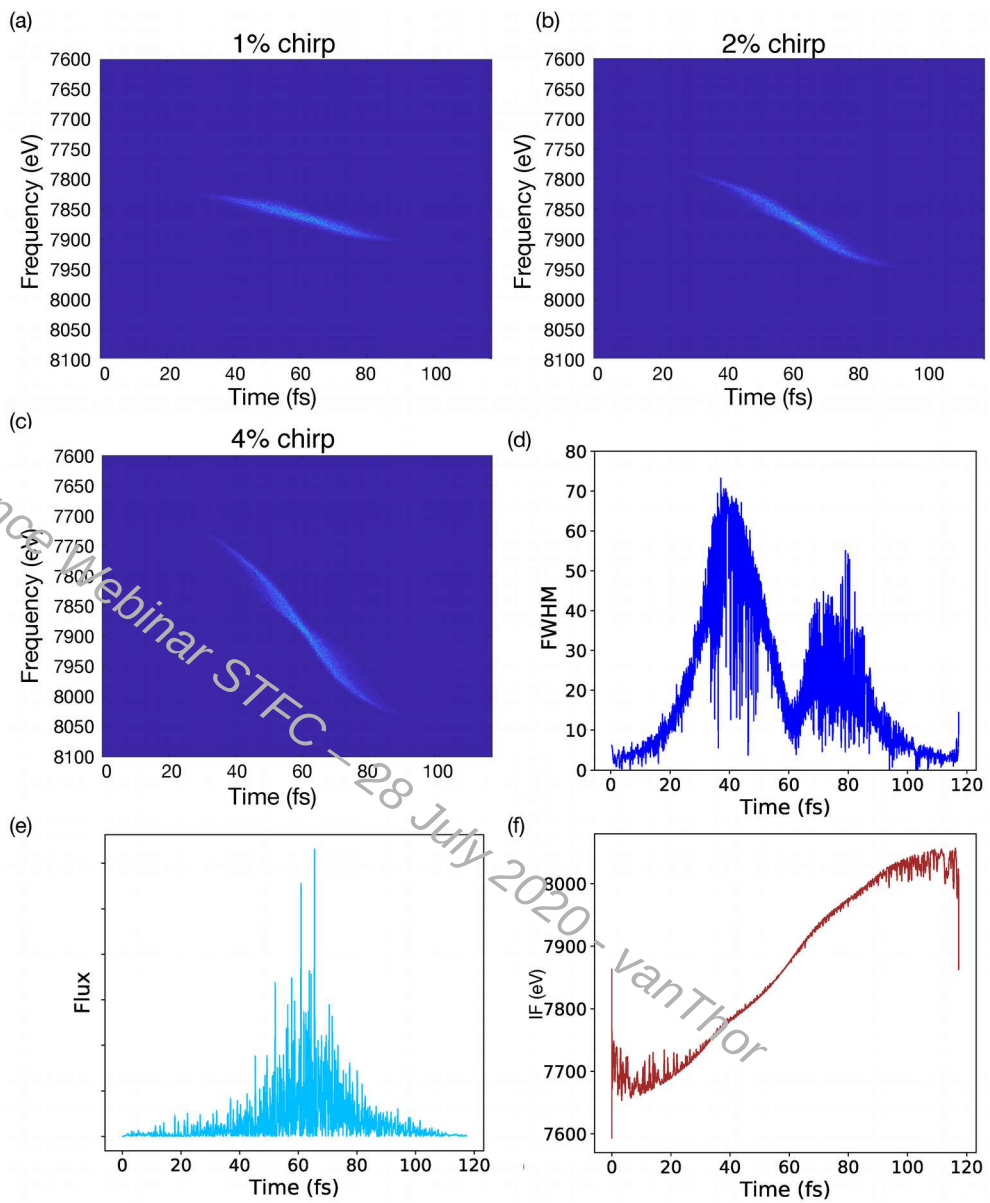
Fadini et al. Appl. Sci. 2020, 10, 2599

Effect of beam convergence (γ) and mosaicity (η) on the reflection bandwidth (BW_{req}). BW_{req} depends on the sum of γ and η and on the distance of the reciprocal lattice point from the reciprocal space origin (d^*). The minimum (λ_{\min}) and maximum (λ_{\max}) wavelengths of the spot bandwidth are shown together with the energy gradient across the reflection.

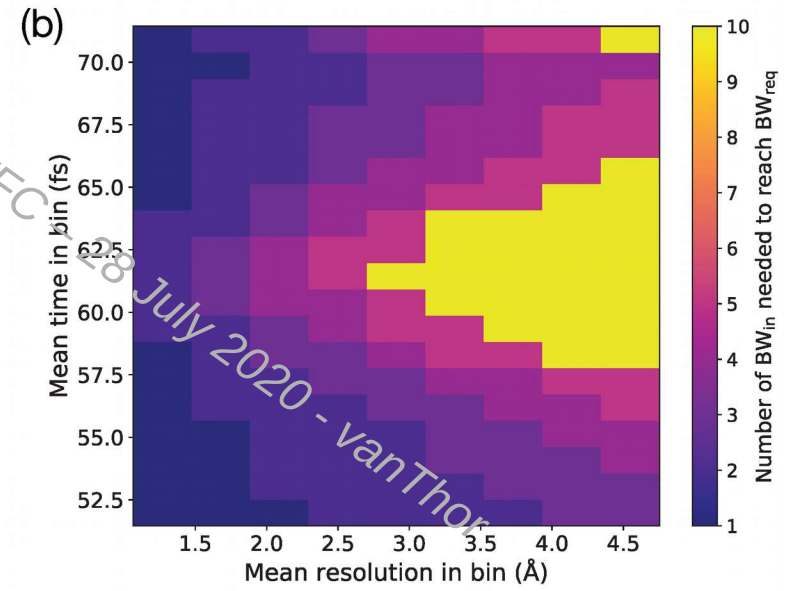
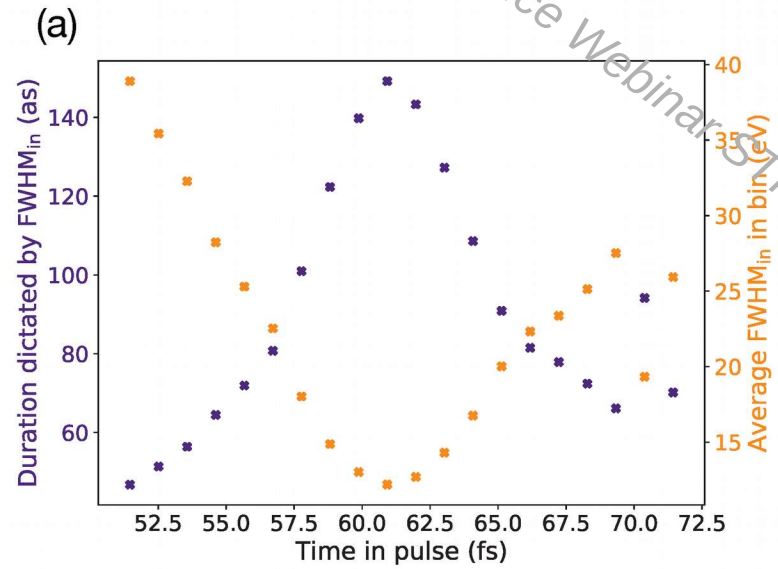
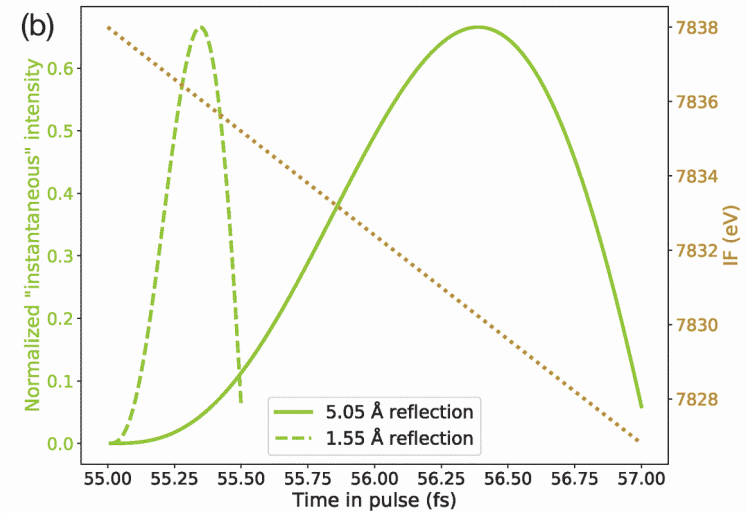
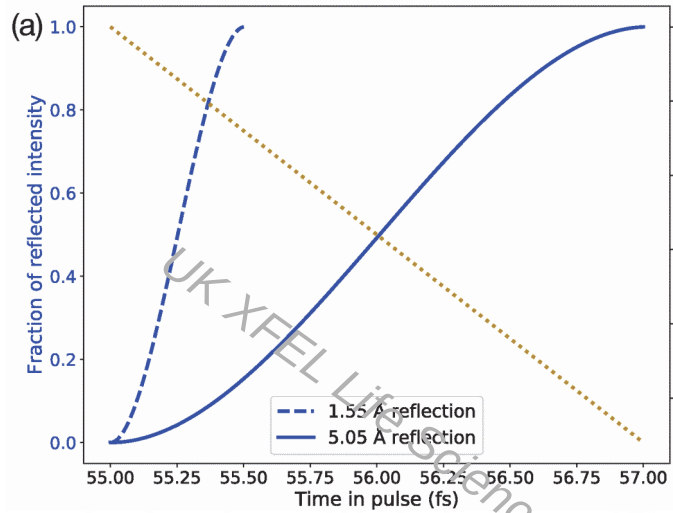
Possibility for *energy-chirped* ultrafast time resolved diffraction: Exploiting time-to-energy mapping of shaped XFEL pulses

Simulations for SwissFEL
chirped polychromatic mode

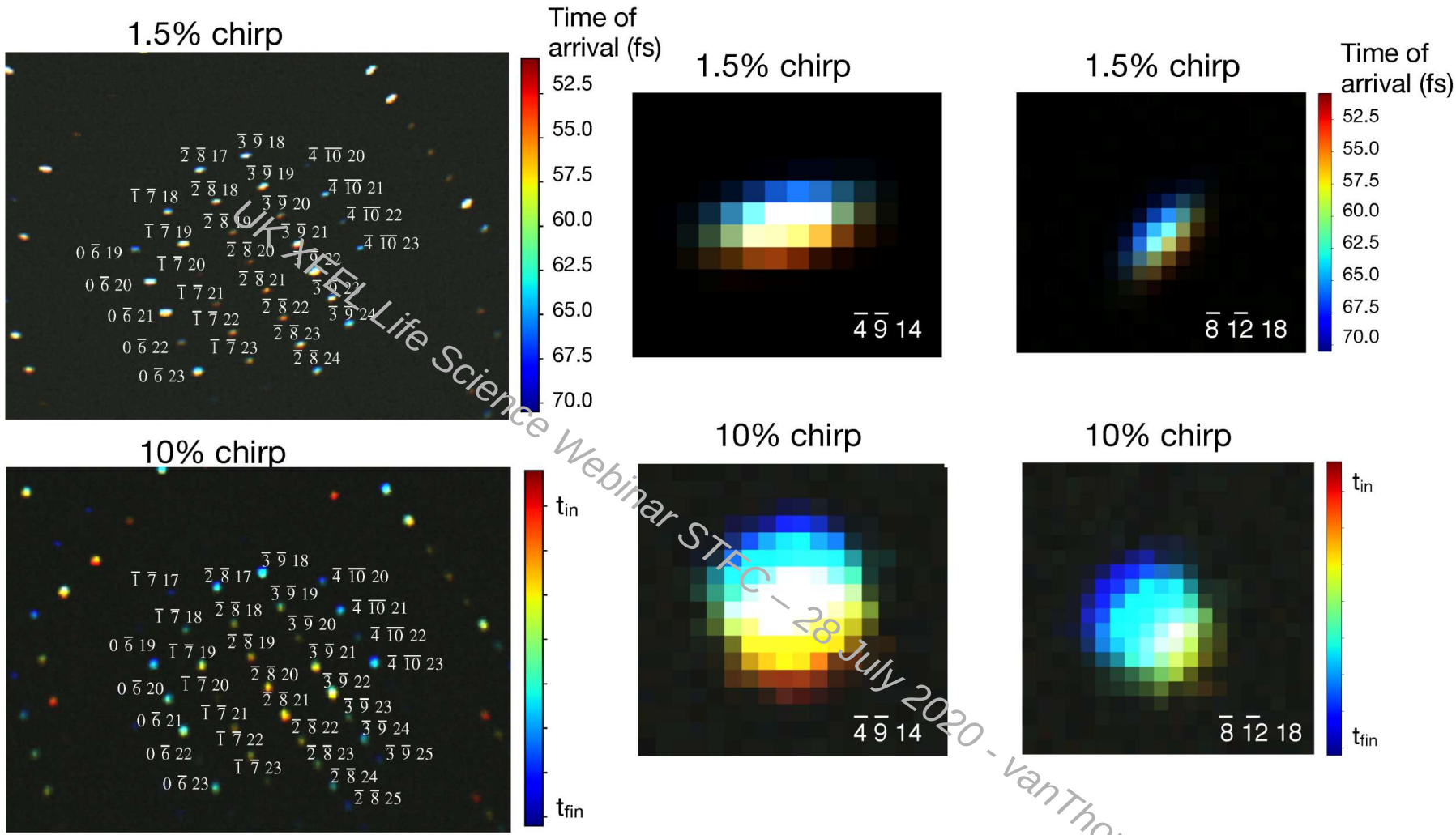
Also now experimentally
shown



Possibility for *energy-chirped* ultrafast time resolved diffraction: Exploiting time-to-energy mapping of shaped XFEL pulses



Possibility for *energy-chirped* ultrafast time resolved diffraction: Exploiting time-to-energy mapping of shaped XFEL pulses

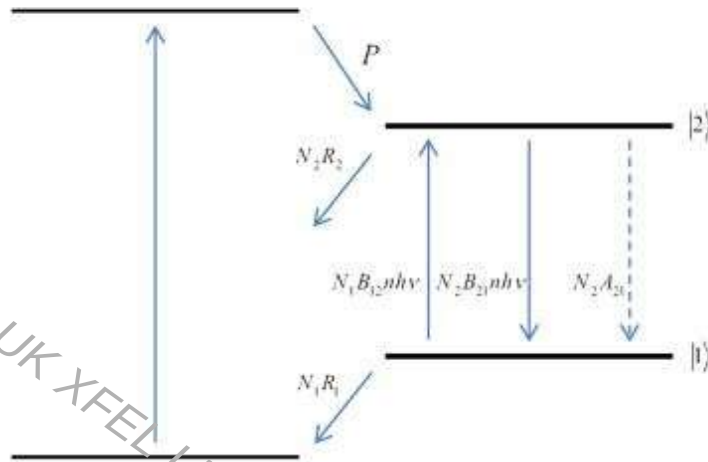


Ultrafast population dynamics analysis:

Exploiting signal-to-noise development

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A) Laser rate equations for a 4-level system

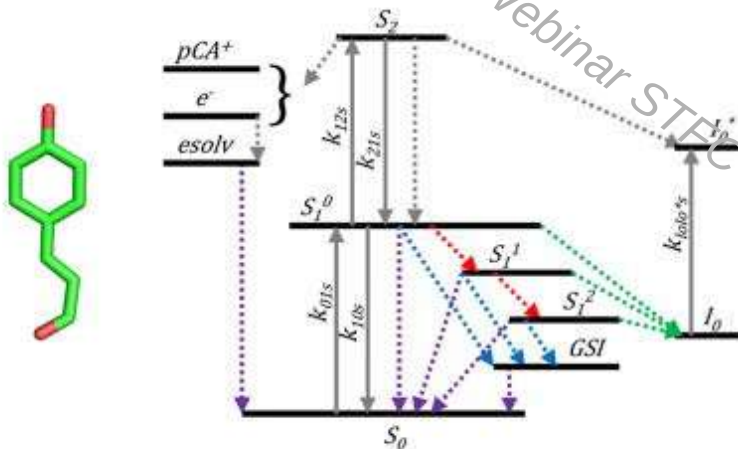


$$\frac{dN_1}{dt} = (N_2 - N_1)B_{21}nh\nu + N_2A_{21} - N_1R_1$$

$$\frac{dN_2}{dt} = P - (N_2 - N_1)B_{21}nh\nu - N_2A_{21} - N_2R_2$$

$$\frac{dn}{dt} = -\beta n + (N_2 - N_1)B_{21}nh\nu$$

B) Rate equations for a photochemical model for PYP



$$\frac{d[S_1^0]}{dt} = k_{01s}(t)[S_0] - k_{10s}(t)[S_1^0] - k_{12s}(t)[S_1^0] + k_{21s}(t)[S_2] - \varphi_{S_1^0 \rightarrow S_1^1} k_{S_1^0} [S_1^0] - \varphi_{S_1^0 \rightarrow I_0} k_{S_1^0} [S_1^0] - \varphi_{S_1^0 \rightarrow S_{GS1}} k_{S_1^0} [S_1^0] - \varphi_{S_1^0 \rightarrow S_0} k_{S_1^0} [S_1^0]$$

$$\frac{d[S_1^1]}{dt} = \varphi_{S_1^0 \rightarrow S_1^1} k_{S_1^0} [S_1^0] - \varphi_{S_1^1 \rightarrow S_1^2} k_{S_1^1} [S_1^1] - \varphi_{S_1^1 \rightarrow I_0} k_{S_1^1} [S_1^1] - \varphi_{S_1^1 \rightarrow S_{GS1}} k_{S_1^1} [S_1^1] - \varphi_{S_1^1 \rightarrow S_0} k_{S_1^1} [S_1^1]$$

$$\frac{d[S_1^2]}{dt} = \varphi_{S_1^1 \rightarrow S_1^2} k_{S_1^1} [S_1^1] - \varphi_{S_1^2 \rightarrow I_0} k_{S_1^2} [S_1^2] - \varphi_{S_1^2 \rightarrow S_{GS1}} k_{S_1^2} [S_1^2] - \varphi_{S_1^2 \rightarrow S_0} k_{S_1^2} [S_1^2]$$

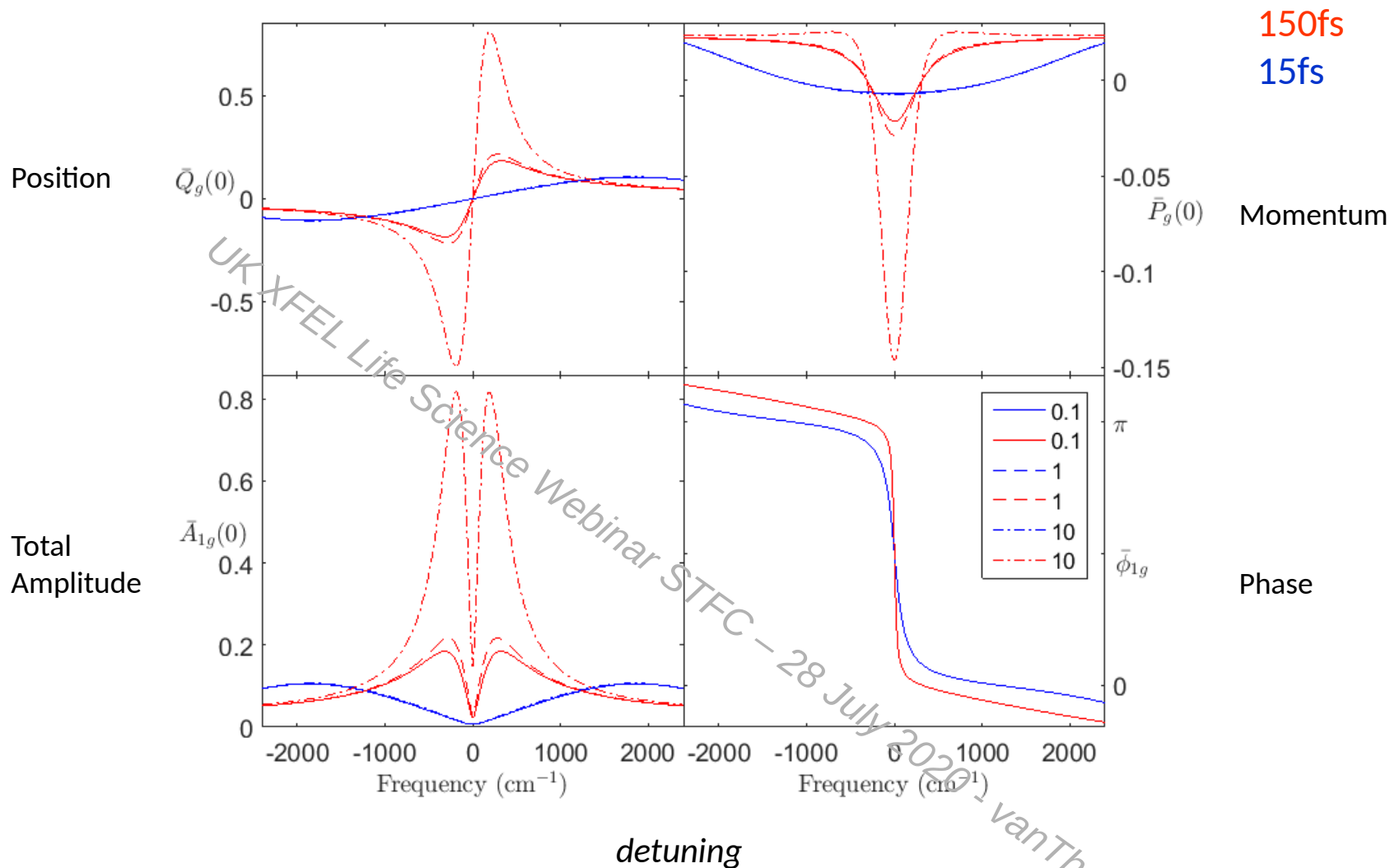
$$\frac{d[I_0]}{dt} = \varphi_{S_1^0 \rightarrow I_0} k_{S_1^0} [S_1^0] + \varphi_{S_1^1 \rightarrow I_0} k_{S_1^1} [S_1^1] + \varphi_{S_1^2 \rightarrow I_0} k_{S_1^2} [S_1^2] - k_{I_0} [I_0]$$

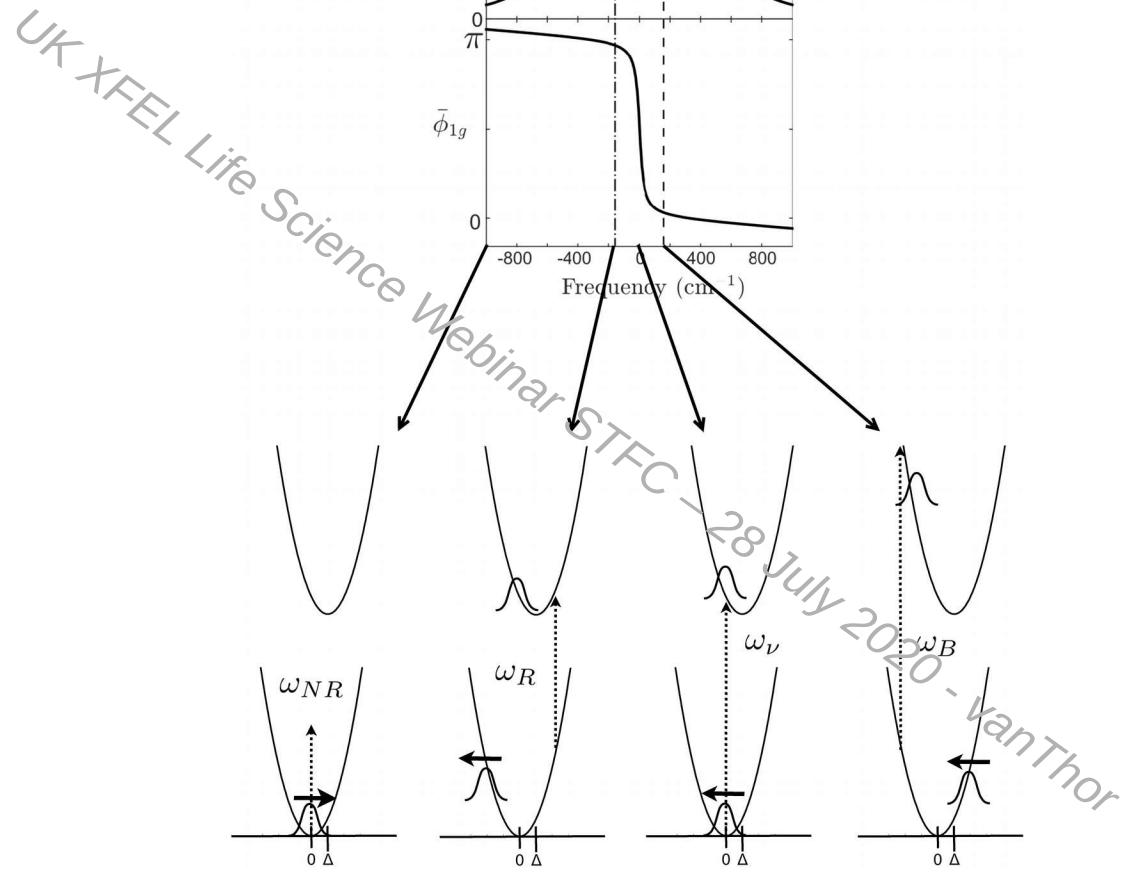
$$\frac{d[S_{GS1}]}{dt} = \varphi_{S_1^0 \rightarrow S_{GS1}} k_{S_1^0} [S_1^0] + \varphi_{S_1^1 \rightarrow S_{GS1}} k_{S_1^1} [S_1^1] + \varphi_{S_1^2 \rightarrow S_{GS1}} k_{S_1^2} [S_1^2] - k_{S_{GS1}} [S_{GS1}]$$

$$\frac{d[S_2]}{dt} = k_{12s}(t)[S_1^1] - k_{21s}(t)[S_2] - \varphi_{S_2 \rightarrow e^-} k_{S_2} [S_2] - \varphi_{S_2 \rightarrow S_0} k_{S_2} [S_2]$$

$$\frac{d[e^-]}{dt} = \varphi_{S_2 \rightarrow e^-} k_{S_2} [S_2]$$

Linear response theory estimates the magnitude of ground state coherence



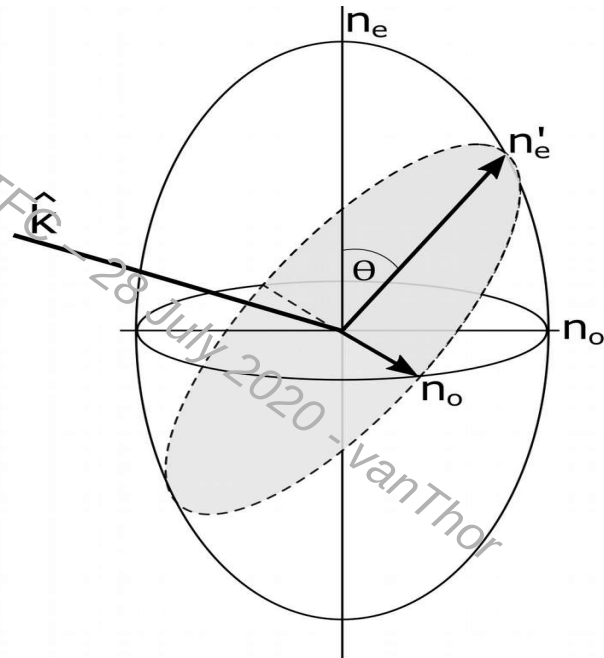
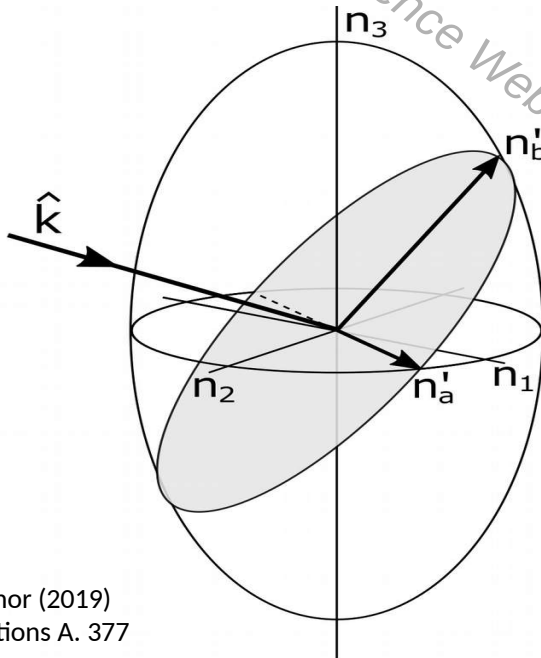
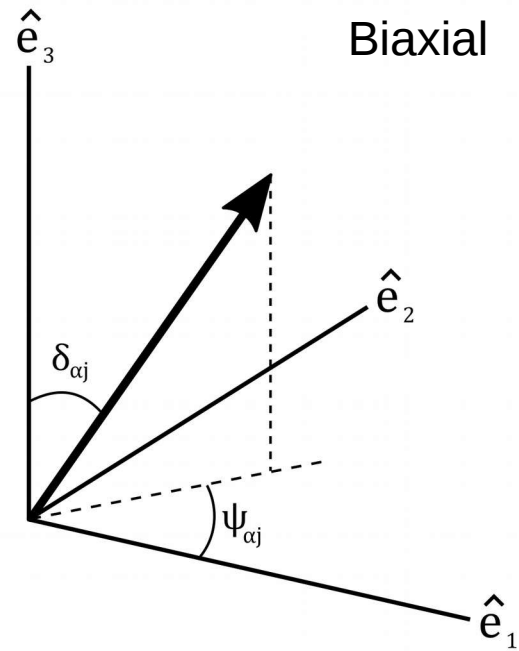
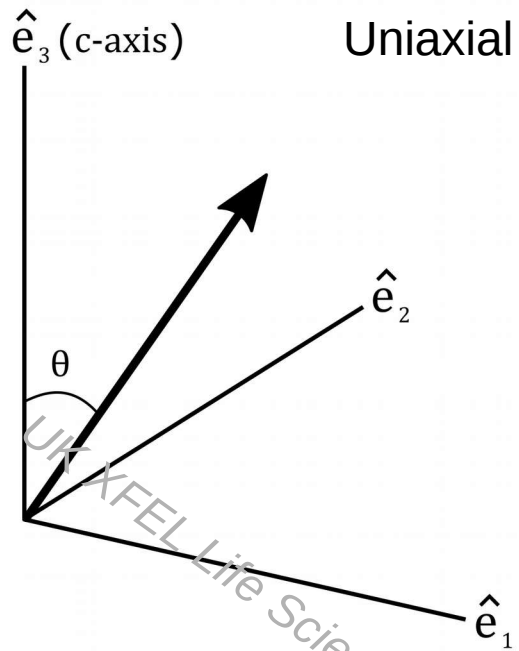


The consequences of crystal optics

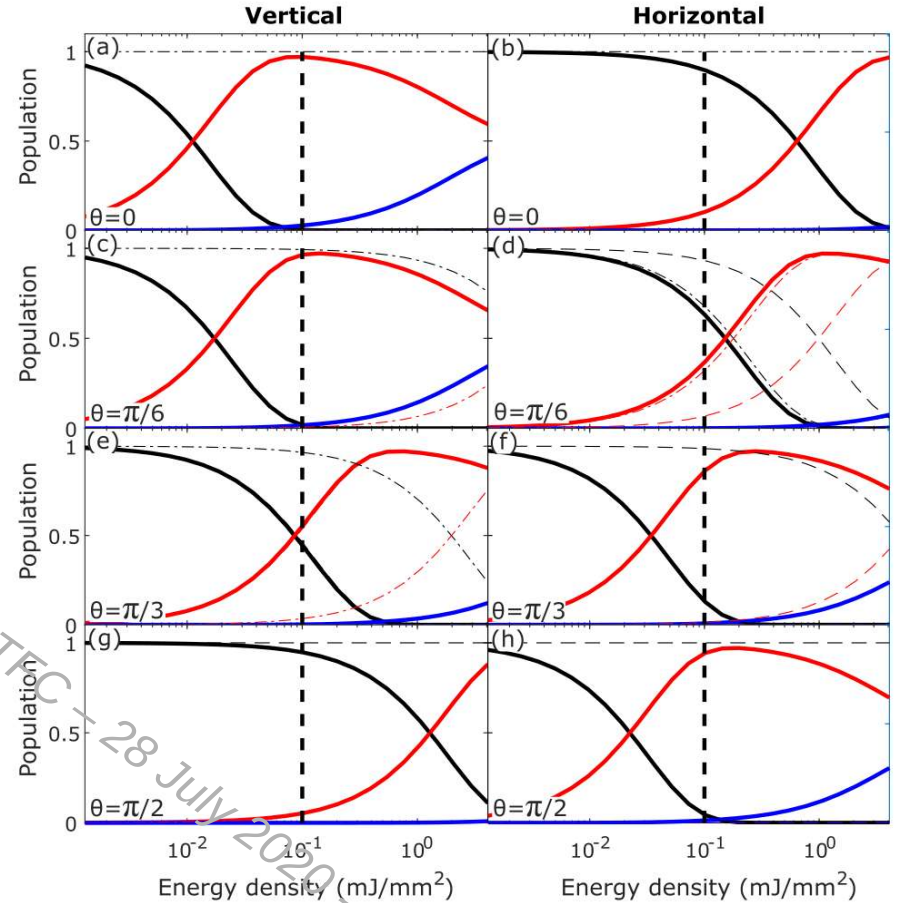
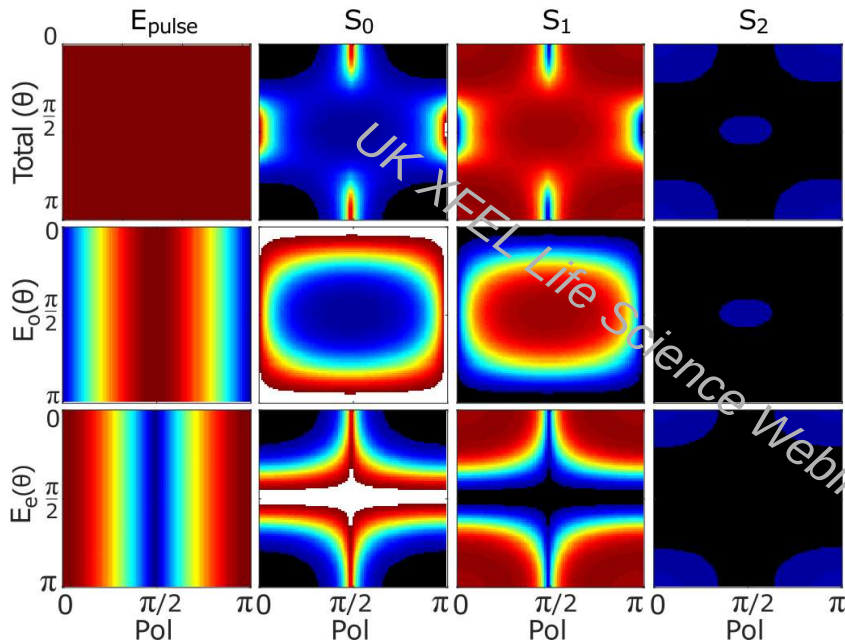
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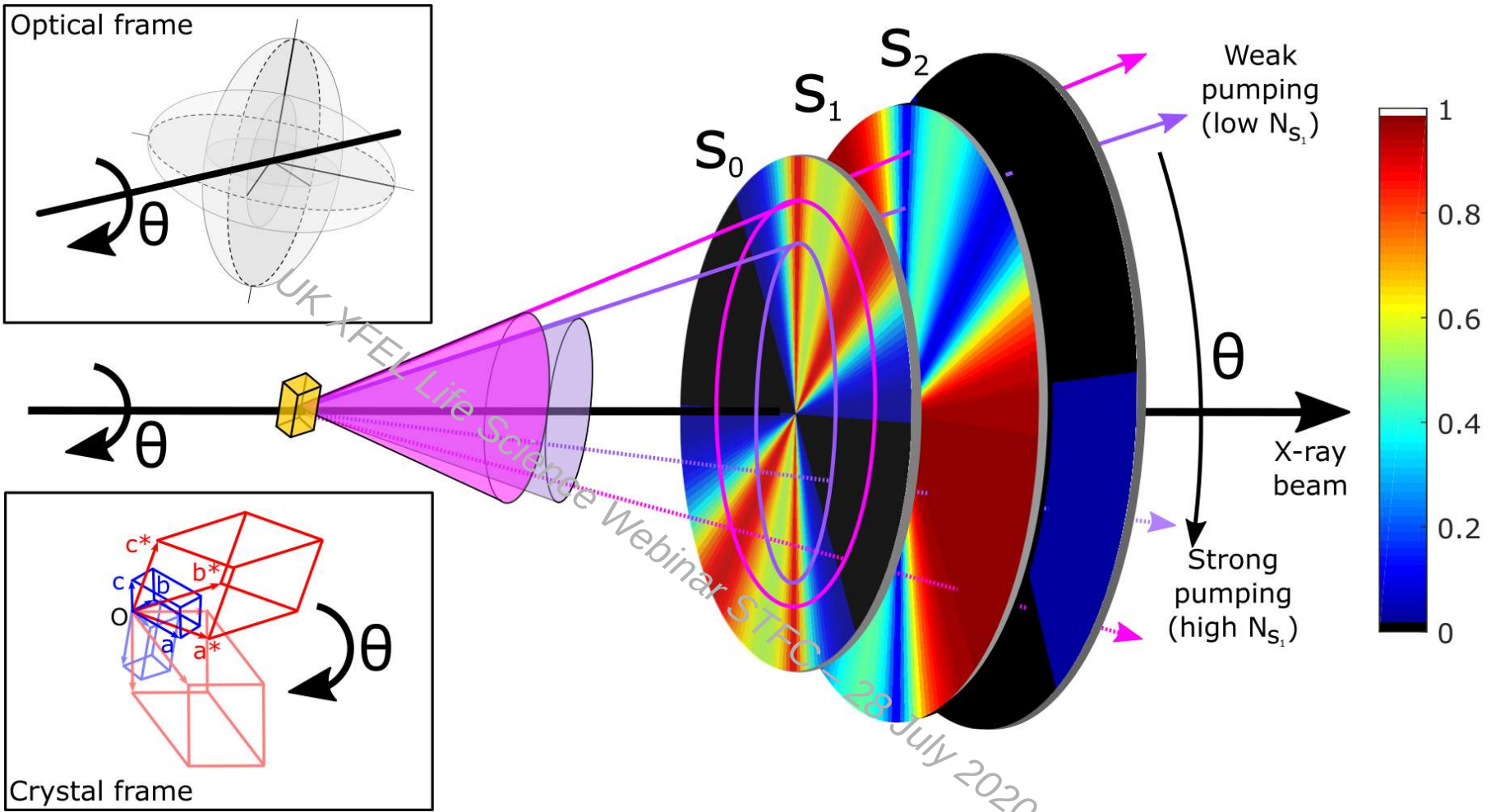
populations and coherence

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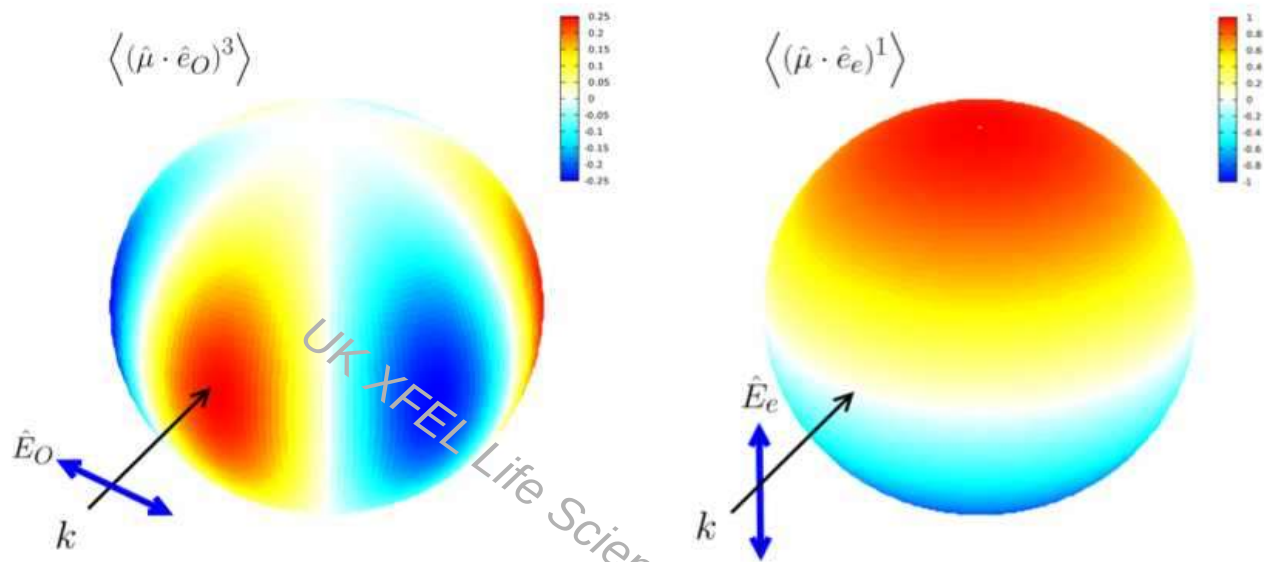


For each orientation a linear combination of two fields prepares the populations



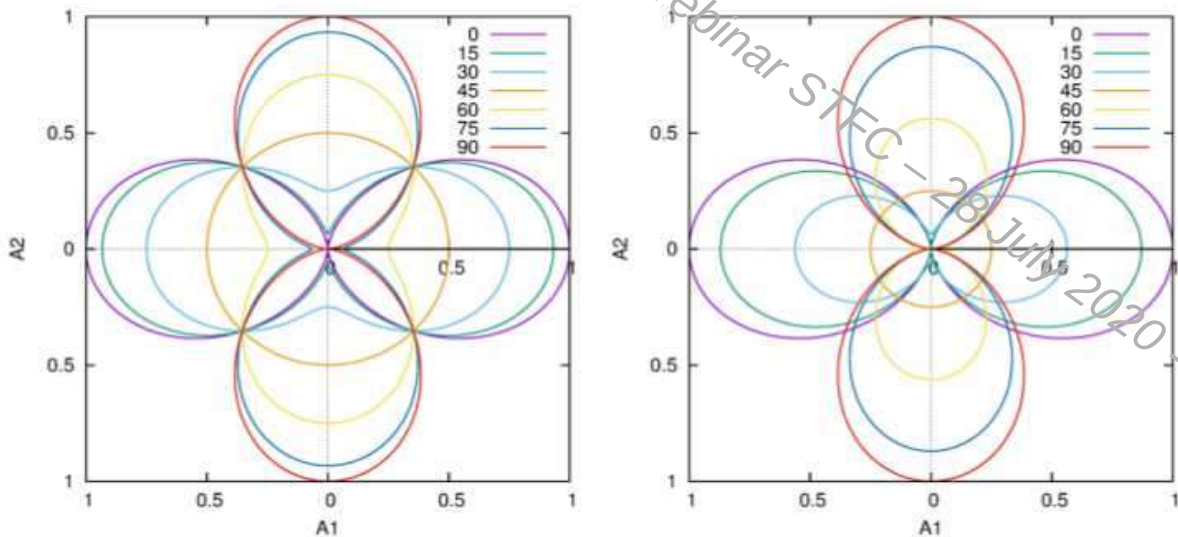


The real-space relationship to the third order response



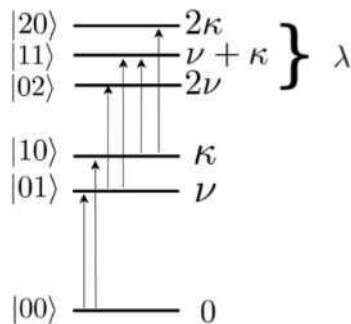
Uniaxial example

FIG. 5. A real-space plot of the third order response of an isolated oscillator with combination of three interactions in the ordinary directions (left) and a single interaction in the extraordinary direction (right) in the presence of trigonal symmetry, corresponding to a dipole-allowed (OOOE) interaction.

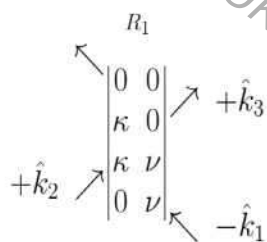


General biaxial case

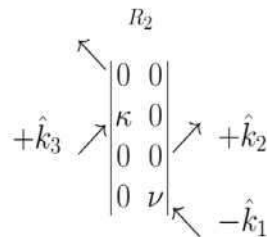
FIG. 6. The general case for the second rank (left) and fourth rank (right) dipole allowed response for an isolated oscillator in biaxial crystals, with k orthogonal to the e_3 - e_2 plane. The components in two orthogonal dielectric axes (labelled here A_1 and A_2) are plotted for values of Ψ in the geometry shown in Fig. 3 with a direction k .



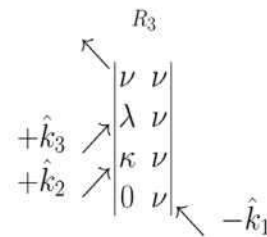
Response function formalism for coupled oscillators



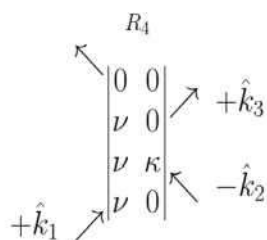
$$\langle (\hat{\mu}_{0\nu} \cdot \hat{E}_1) (\hat{\mu}_{0\kappa} \cdot \hat{E}_2) (\hat{\mu}_{0\nu} \cdot \hat{E}_3) (\hat{\mu}_{0\kappa} \cdot \hat{E}_4) \rangle$$



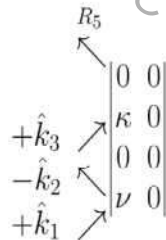
$$\langle (\hat{\mu}_{0\nu} \cdot \hat{E}_1) (\hat{\mu}_{0\nu} \cdot \hat{E}_2) (\hat{\mu}_{0\kappa} \cdot \hat{E}_3) (\hat{\mu}_{0\kappa} \cdot \hat{E}_4) \rangle$$



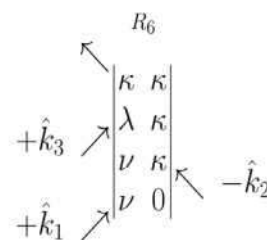
$$\langle (\hat{\mu}_{0\nu} \cdot \hat{E}_1) (\hat{\mu}_{0\kappa} \cdot \hat{E}_2) (\hat{\mu}_{\kappa\lambda} \cdot \hat{E}_3) (\hat{\mu}_{\lambda\nu} \cdot \hat{E}_4) \rangle$$



$$\langle (\hat{\mu}_{0\nu} \cdot \hat{E}_1) (\hat{\mu}_{0\kappa} \cdot \hat{E}_2) (\hat{\mu}_{0\kappa} \cdot \hat{E}_3) (\hat{\mu}_{0\nu} \cdot \hat{E}_4) \rangle$$



$$\langle (\hat{\mu}_{0\nu} \cdot \hat{E}_1) (\hat{\mu}_{0\nu} \cdot \hat{E}_2) (\hat{\mu}_{0\kappa} \cdot \hat{E}_3) (\hat{\mu}_{0\kappa} \cdot \hat{E}_4) \rangle$$



$$\langle (\hat{\mu}_{0\nu} \cdot \hat{E}_1) (\hat{\mu}_{0\kappa} \cdot \hat{E}_2) (\hat{\mu}_{\nu\lambda} \cdot \hat{E}_3) (\hat{\mu}_{\lambda\kappa} \cdot \hat{E}_4) \rangle$$

Uniaxial Class						
n	EEEE	OOOO	OEOE EOEO	OEEE EEOO	OEOO OOEE	OOOE OOEO OEOO E000
3	VVVV VKKV VKVK VKKK	VVVV VKKV VKVK VKKK	VVVV VKKV VKVK	VVVV VKKK	VVVV VKKK	VVVV
4,6	VVVV VKKV VKVK VKKK	VVVV VKKV VKVK VKKK	VVVV VKKV VKVK	VVVV VKKK	VVVV VKKK	VVVV

Biaxial Class					
n	$E_3E_3E_3E_3$	$E_2E_2E_2E_2$	$E_1E_1E_1E_1$	$E_3E_3E_2E_2$	$E_3E_2E_2E_3$
1	VVVV VKVK VKKV VKKK	VVVV VKVK VKKV VKKK	VVVV VKVK VKKV VKKK	VVVV VKVK VKKV VKKK	VVVV VKVK VKKV VKKK
2	VVVV VKVK VKKV VKKK	VVVV VKVK VKKV VKKK	VVVV VKVK VKKV VKKK	VVVV VKKK	VVVV VKKK

